

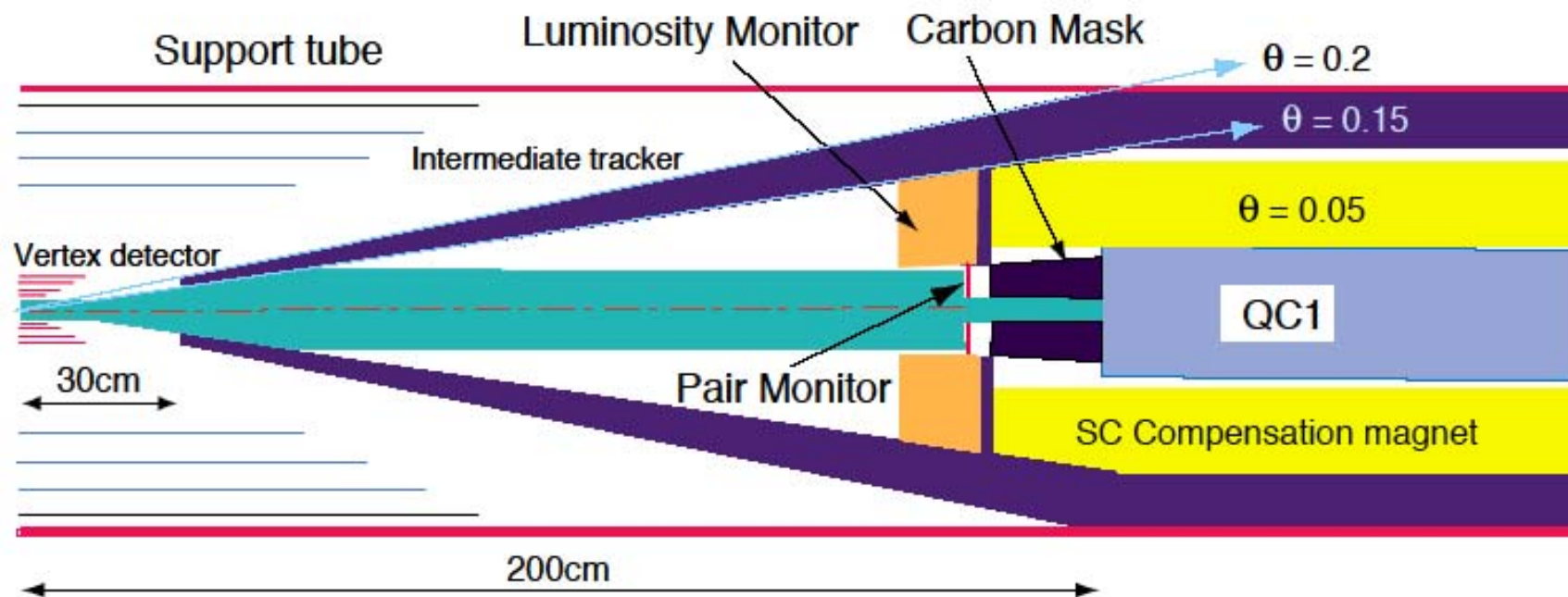
Beam Profile Monitor

- Crossing angle, z location, and B field : a preliminary study -

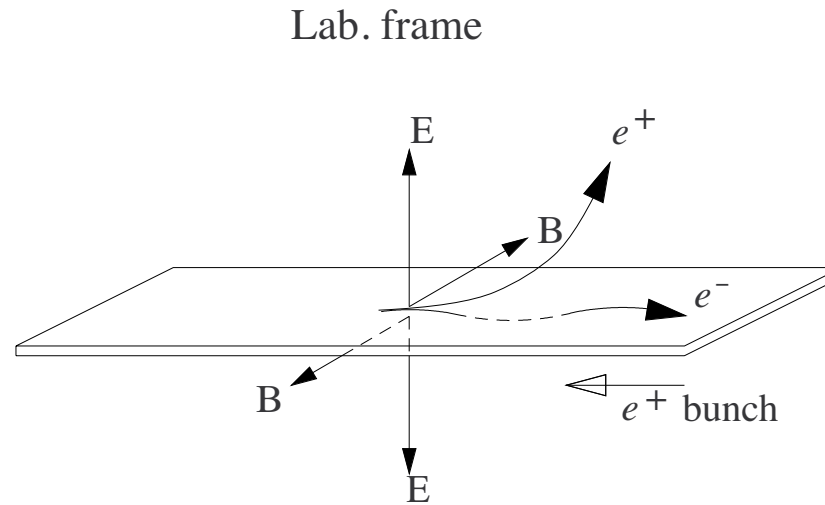
Fujikawa, Yamamoto
Tohoku University

ILC MDI workshop, SLAC, January 2005

Example of IR configuration

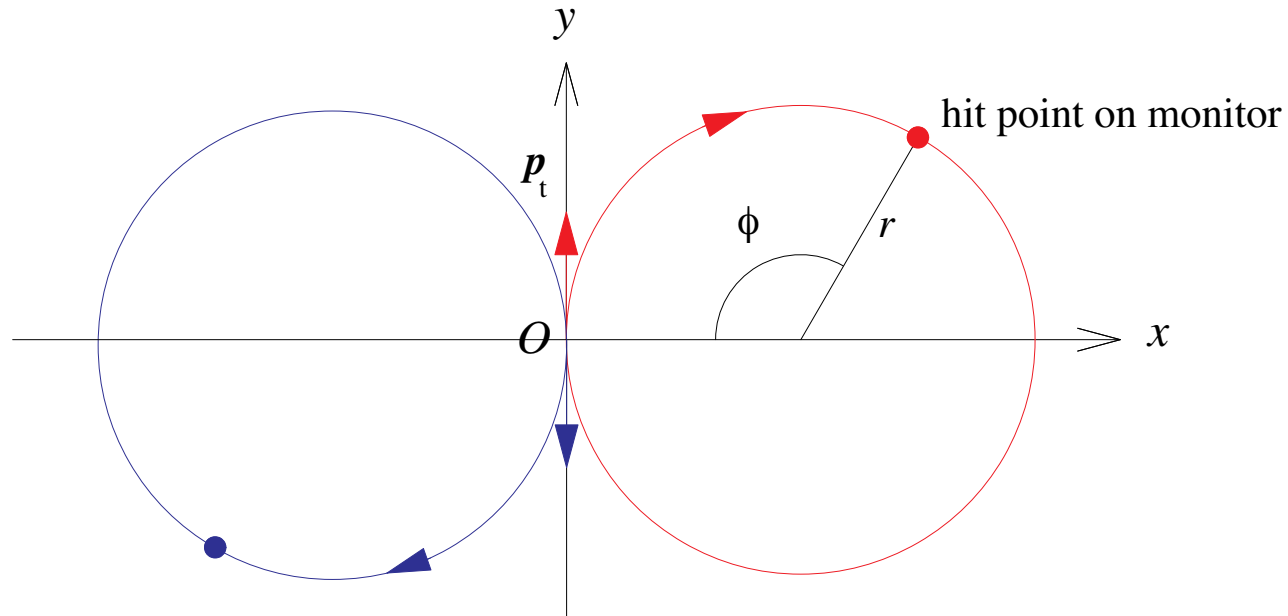


Kinematic Configuration of Pair 'Background'



- $|E| = |B| \rightarrow$ no force from the co-moving bunch.
- $E(\text{dyne/esu}) = B(\text{gauss}) \sim 4 \times 10^7$
 $\rightarrow r \sim 170 \mu\text{m}$ for $p = 300 \text{ MeV}/c$ ($\sigma_z \sim 300 \mu\text{m}$)
- For an incoming e^+ bunch,
 e^- oscillates around the beam plane.
 e^+ acquires a large p_t kick (vertical).
- Round beam \rightarrow no ϕ dependence,
 ϕ dependence $\rightarrow \sigma_y/\sigma_x$ ratio.

Hit Location on the Pair Monitor

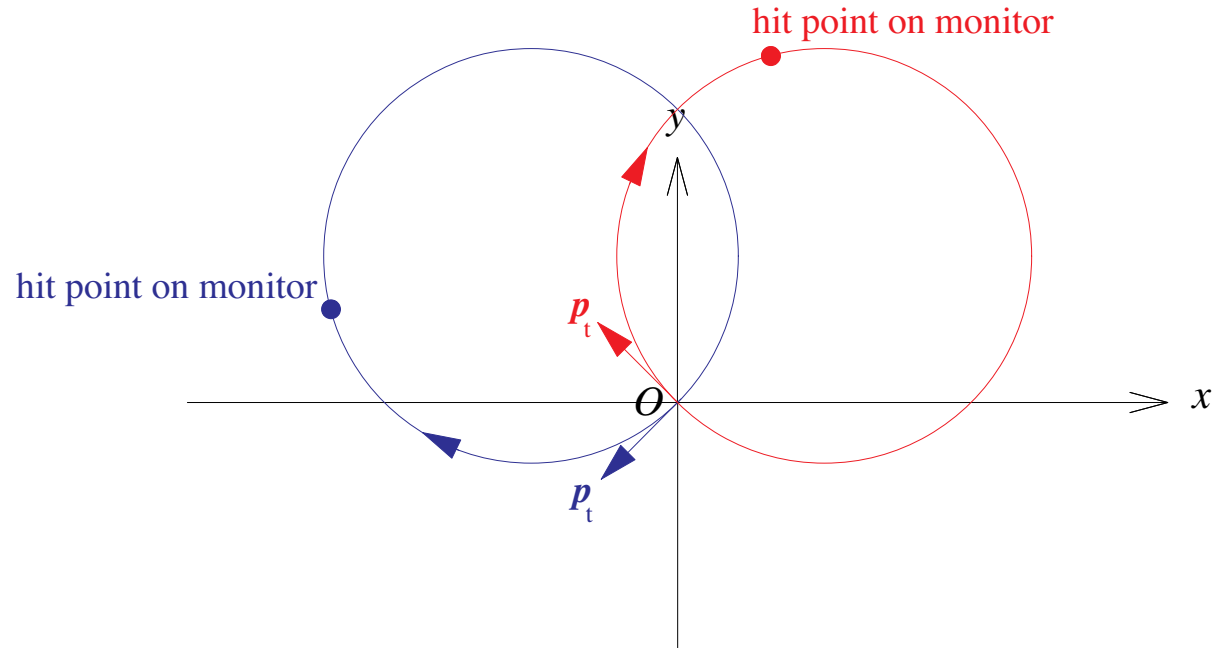


$$\rho(\text{cm}) = \frac{p_t(\text{MeV}/c)}{3B_0(\text{Tesla})}, \quad \phi = \frac{3B_0(\text{Tesla})L(\text{cm})}{p_z(\text{MeV}/c)}$$

L : distance to IP

- ρ measures p_t and ϕ measures p_z .
- For $L = 176$ cm, $p_z \sim 350$ MeV/ $c \rightarrow \phi \sim \pi$.
- The larger B_0L , the greater the dilution of pattern.

Hit Location on the Pair Monitor (w/ Xing angle)



- Crossing angle θ_X gives horizontal p_t of $\theta_X p_z / 2$ (comparable to original p_t if $\theta_X \sim 30\text{mrad}$).
- The focused particles get horizontal $p_t \rightarrow$ hit the monitor (more hits on monitor).

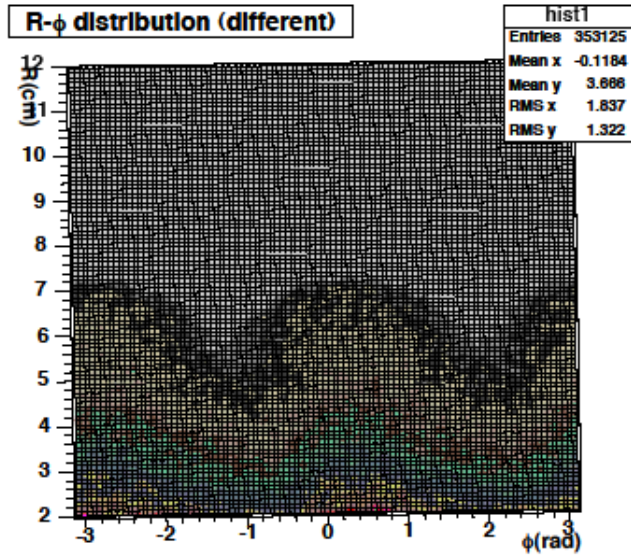
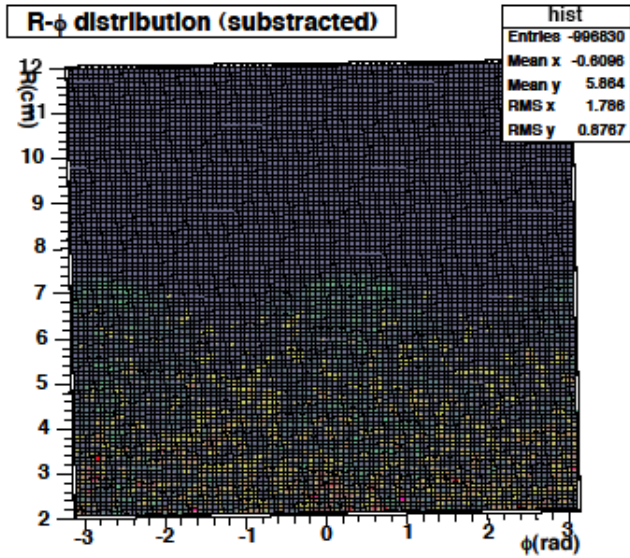
Parameters of simulation

'TESLA-500'

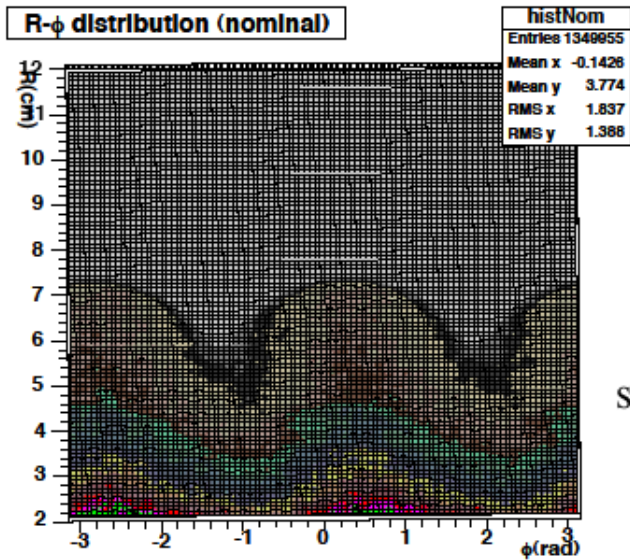
E_{beam}	500GeV
$N_{train/s}$	5
$N_{bunch/train}$	2820
train length	950 μ s
$N_{particle/bunch}$	2×10^{10}
σ_x	554nm
σ_y	5.0nm
σ_z	300 μ m

- At this time, assume uniform solenoid field.
(\vec{B} midway between two beams)
- Crab crossing used.
- CAIN + Analytic helical tracking of particles.

0mrad Xing, z=4m, B=3T

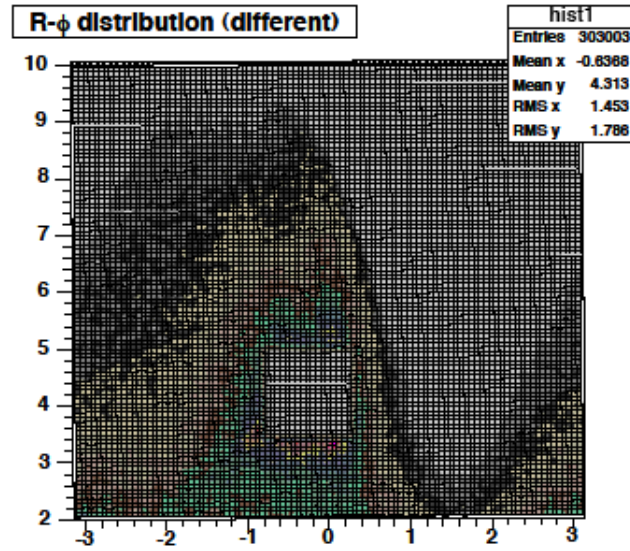
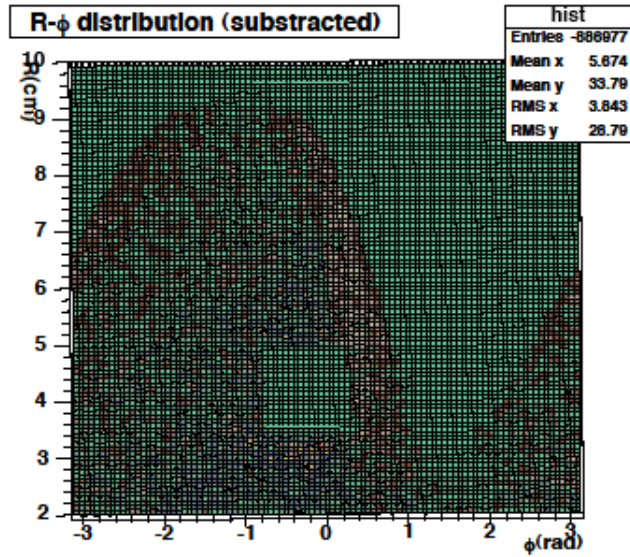


4 x sigma_y0

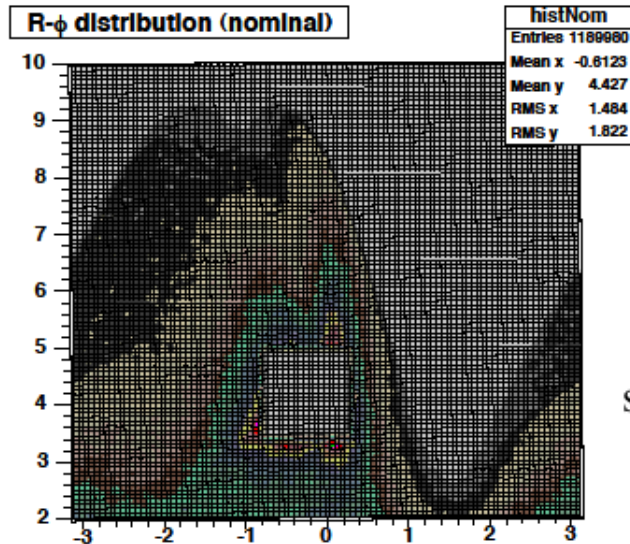


sigma_y0

20mrad Xing, z=4m, B=4T

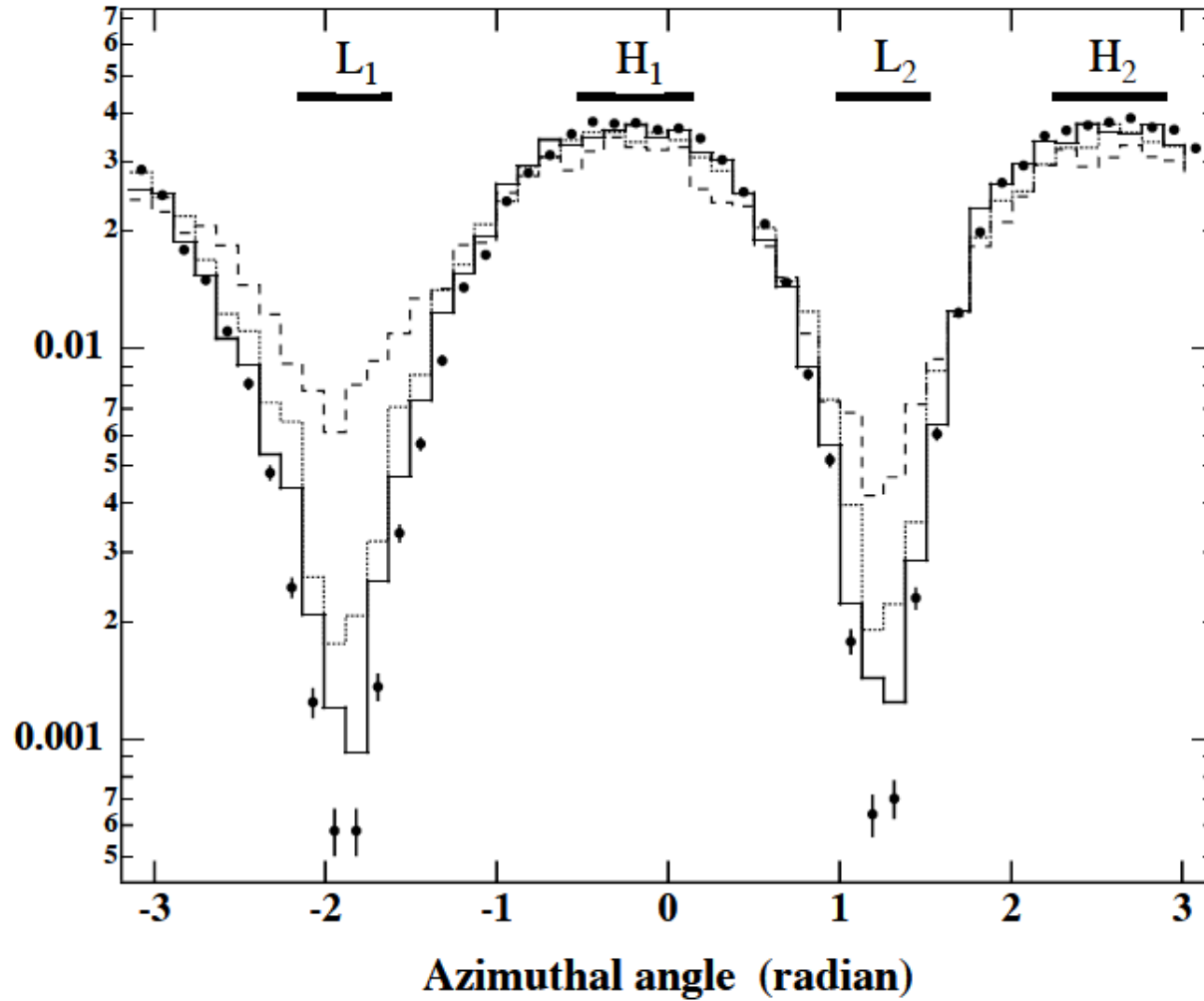


4 x sigma_y0



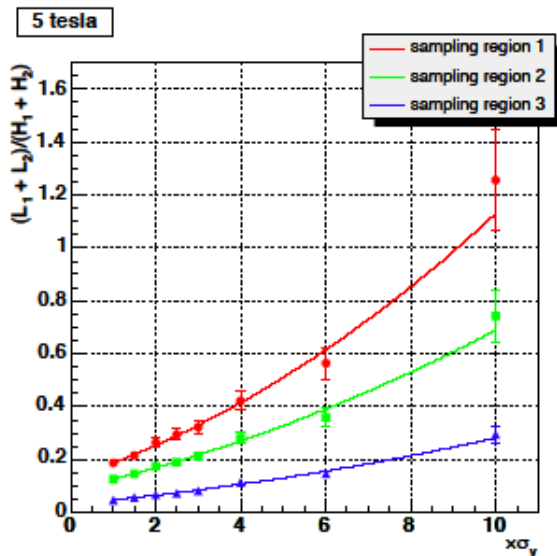
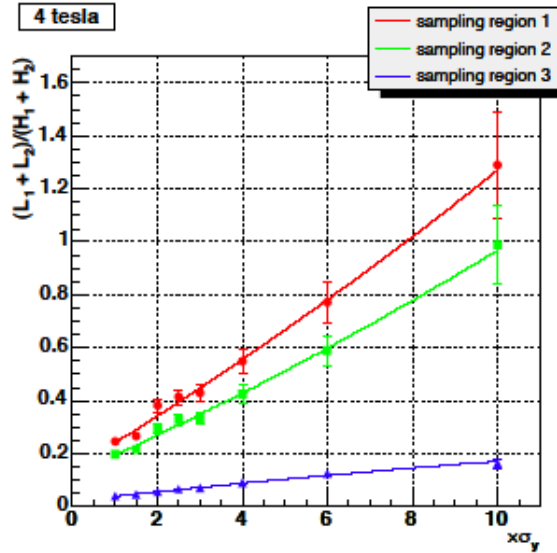
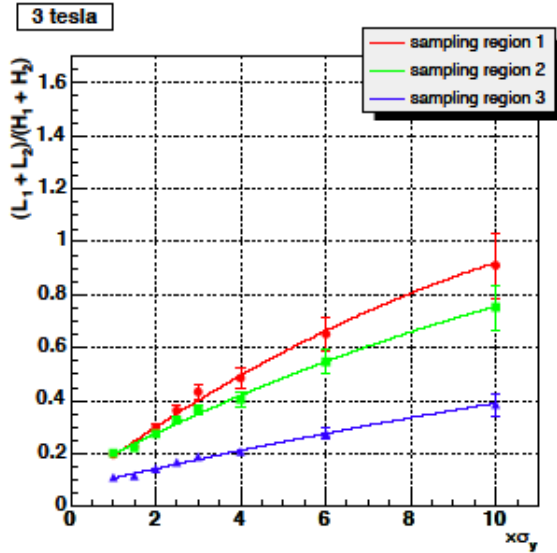
sigma_y0

Find regions where σ_y information exist



$6 < r < 7\text{cm}$, $\sigma_y = n \times \sigma_y^0 : n = 1, 2, 3, 10$ (GLC)

Xing = 0mrad, z = 400 cm



20 readings/train

Fix σ_x ,

Vary $\sigma_y = n\sigma_y^0$

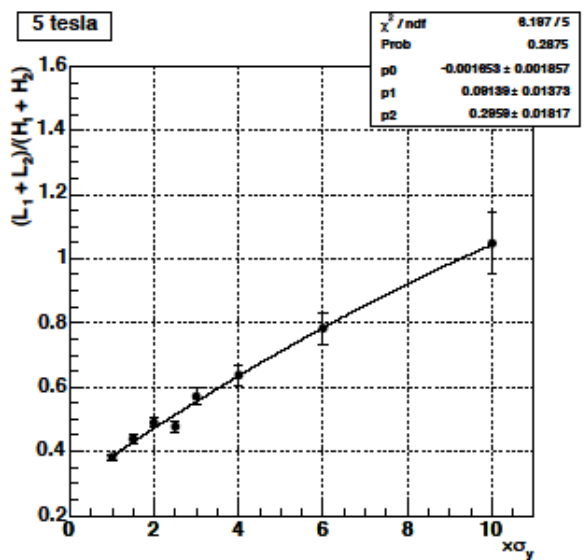
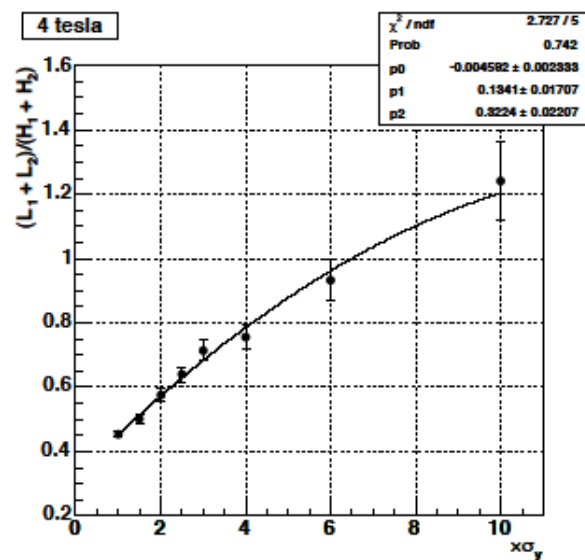
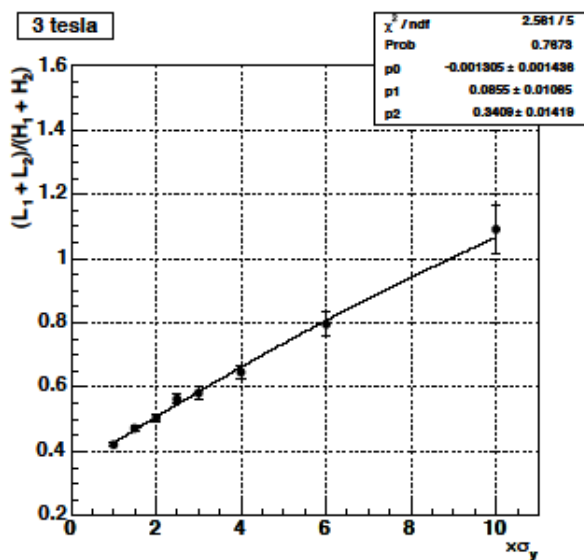
Form ratio

$$R_{pv} = \frac{L_1 + L_2}{H_1 + H_2}$$

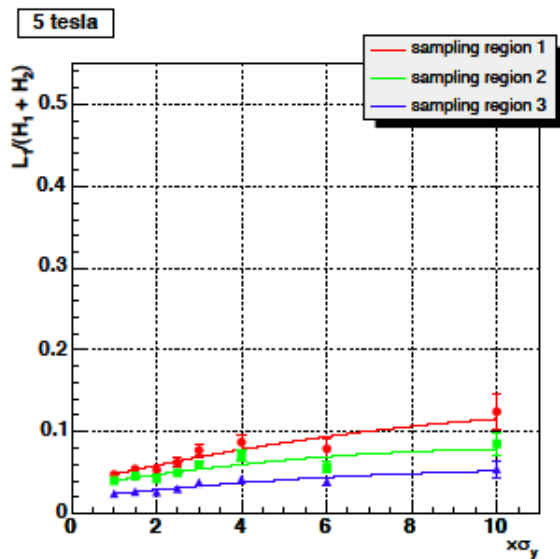
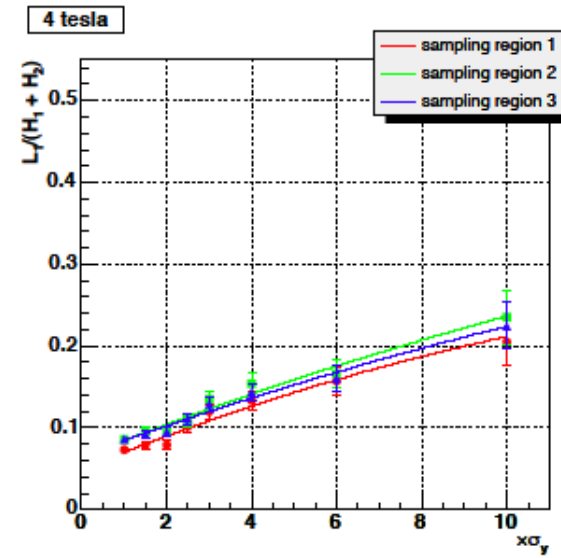
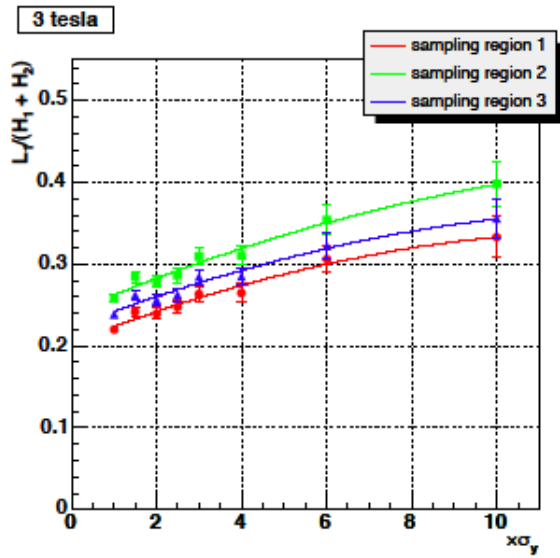
Try different

$L_{1,2}, H_{1,2}$ regions

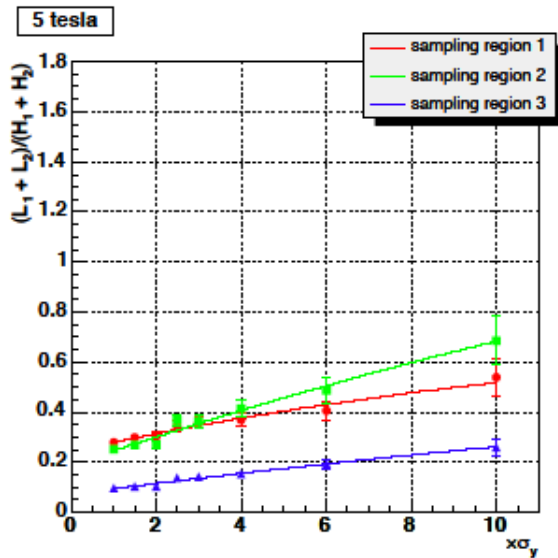
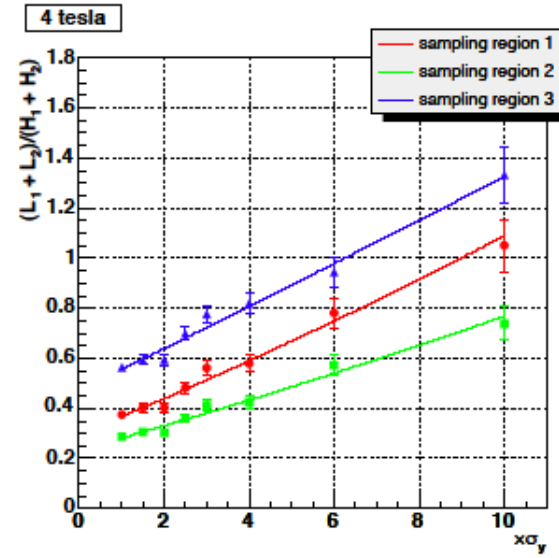
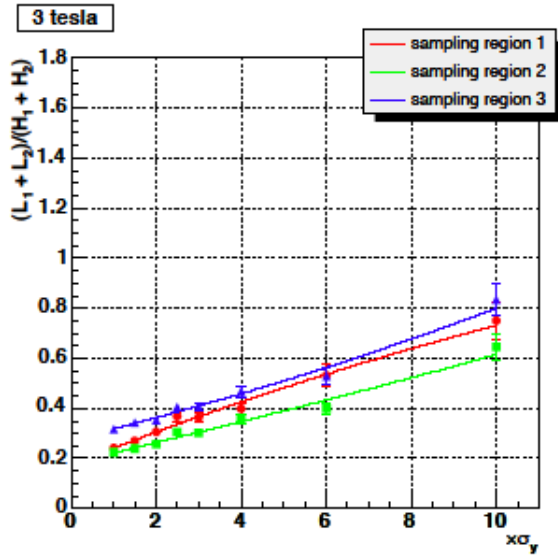
Xing = 7mrad, z = 400 cm



Xing = 20mrad, z = 400 cm



Xing = 20mrad, z = 176 cm



σ_y resolutions

Tesla-500 parameters, 20 readings/train

Average resolution of $2 \times \sigma_y$ and $4 \times \sigma_y$

		3T	4T	5T
z = 400cm	0mrad	11%	13%	13%
z = 400cm	7mrad	9%	11%	12%
z = 400cm	20mrad	22%	19%	28%
z = 176cm	20mrad	12%	15%	20%

Caveat : Resolution depends on the selection of sampling regions.

The σ_y resolution is worse when

- distance from IP is larger.
 - B field is larger.
 - crossing angle is larger.
- σ_y resolution \sim same for $\theta_X = 1 \sim 7$ mrad.

Things to do:

- Use correct B field
(edge effect, Q-magnet, compensating coil etc.).
- More study of the pattern
(location of information).
- Measurement of other beam parameters
(σ_x , horizontal shift, azimuthal tilt of bunch etc.).
- Robustness of measurement
(non-gaussian beam shape, tail, halo etc.)
- Better statistical treatment?